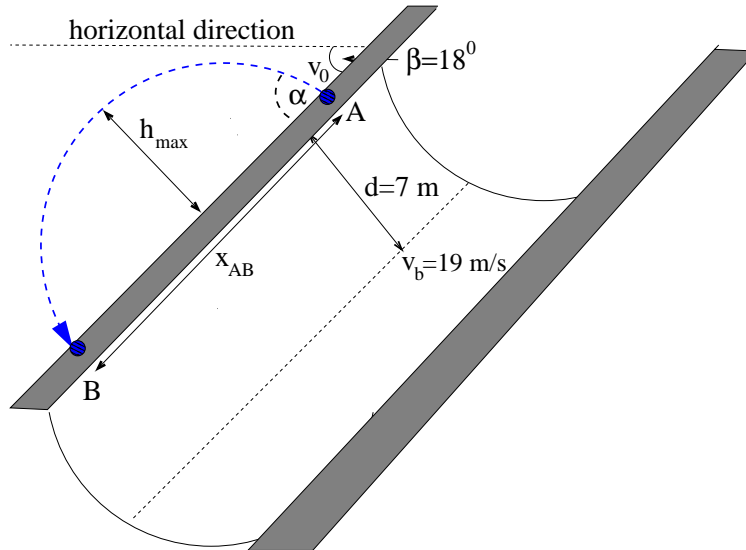


The purpose of this worksheet is to practice formatting output data and to practice the use of FUNCTION sub-programs.

The typical speed of a snowboarder at the base of the half-pipe at the PyeongChang 2018 Olympic Winter Games was around  $v_b = 19$  m/s. The height of the half-pipe wall was  $d = 7$  m, and the pitch angle was  $\beta = 18^\circ$ , as shown in this graphical illustration:



The take-off velocity  $v_0$ , maximum height  $h_{\max}$ , maximum airborne time  $t_{AB}$ , and maximum distance along the half-pipe  $x_{AB}$  of a snowboarder are given by ( $g = 9.81$  m/s<sup>2</sup>) the following equations:

$$v_0 = \sqrt{v_b^2 - 2gd \sin \alpha / \cos \theta}, \quad (1)$$

$$h_{\max} = v_0^2 \sin^2 \alpha / (2g), \quad (2)$$

$$t_{AB} = (v_0 \cos \alpha) (\tan \alpha + \tan \beta) / (g/2), \quad (3)$$

$$x_{AB} = \frac{v_0^2 \cos^2 \alpha}{(g/2) \cos \beta} (\tan \alpha + \tan \beta), \quad (4)$$

where  $\alpha \equiv 90^\circ - \beta - \theta$  and  $\theta = 6^\circ$ . To use these values in a Fortran code, they must first be converted from degrees to radians.

### Task

Write a structured Fortran program (no preamble is required) which computes  $v_0$ ,  $h_{\max}$ ,  $t_{AB}$ ,  $x_{AB}$  and writes the results of the quantities to standard output, exactly as shown here:

```
Airborne time: t_AB= 3.27 seconds
Maximum height reached: h_max= 9.99 meter
Distance traveled along half-pipe: x_AB= 21.41 meter
Take-off speed: v_0= 15.32 meter/second
Take-off angle: alpha= 66.00 degrees
```

(turn over)

## Program Design

- The program must consist of a main program and one `FUNCTION` sub-program named `x_AB`.
- The purpose of `FUNCTION x_AB` is to compute  $x_{AB}$  from Eq. (4) and return its value to the main program.
- The data output is handled in the main program.
- Use the `Fw.d` specifier to format the output data.

Rename your Fortran source code to `LastFirst_WS17.f90` and email this file to `ewhart317@gmail.com`. Put `PHYS 317 WS 17` in the subject line.